

# Parallel Programming

## Exercise Session 9

# Outline

1. Feedback: Assignment 8
2. Assignment 9

# Feedback: Assignment 8

# Recap: Critical Section Properties

- **Mutual exclusion:** No more than one process executing in the critical section
- **Progress:** When no process is in the critical section, any process that requests entry must be permitted without delay
- **No starvation (bounded wait):** If any process tries to enter its critical section then that process must eventually succeed.

**P**

p1: Non-critical section P

p2: while turn != 1

p3: Critical section

p4: turn = 2

turn = 1

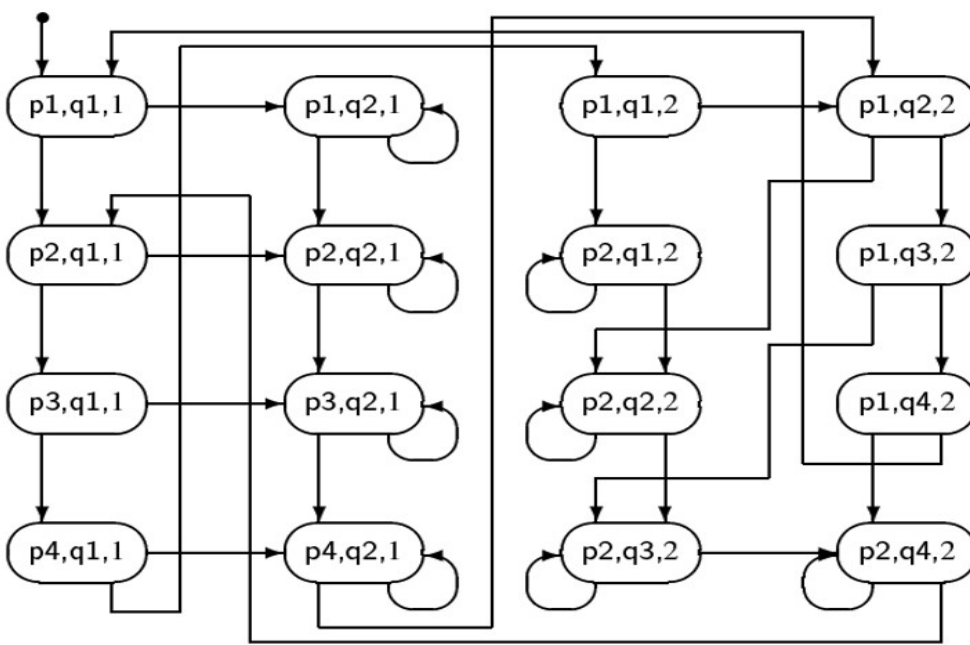
**Q**

q1: Non-critical section Q

q2: while turn != 2

q3: Critical section

q4: turn = 1



- **Mutual exclusion:** E.g. State  $(p3, q3, \_)$  is not reachable
- **Progress:** E.g. There exists a path for P such that state  $(P3, \_, \_)$  is reachable from  $(P2, \_, \_)$ . Typical counterexamples: deadlocks and livelocks
- **No starvation (bounded wait):** Possible starvation reveals itself as cycles in the state diagram.

**P**

p1: Non-critical section P

p2: while turn != 1

p3: Critical section

p4: turn = 2

turn = 1

**Q**

q1: Non-critical section Q

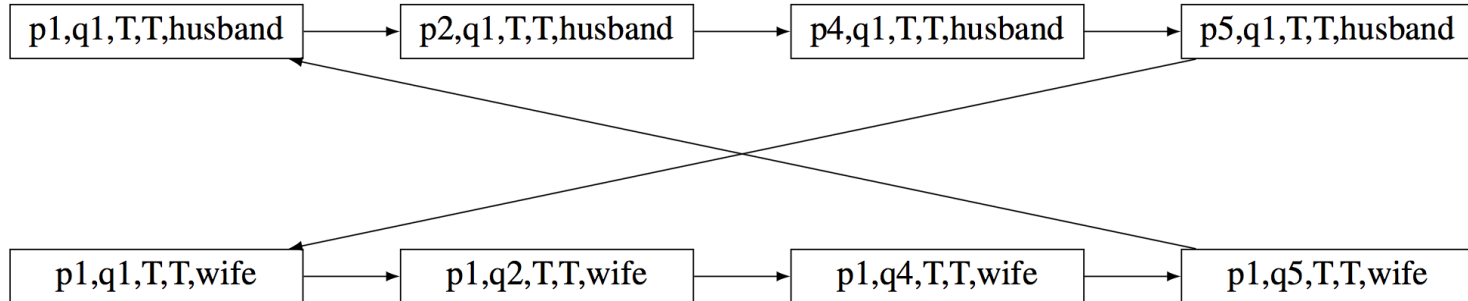
q2: while turn != 2

q3: Critical section

q4: turn = 1

# Feedback for Assignment 8

owner	
husband.hungry = true	
wife.hungry = true	
husband	wife
p1: while hungry	q1: while hungry
p2: owner != me	q2: owner != me
p3: sleep	q3: sleep
p4: spouse == hungry	q4: spouse == hungry
p5: owner = spouse	q5: owner = spouse
p6: CR	q6: CR
p7: hungry = false	q7: hungry = false
p8: owner = spouse	q8: owner = spouse



# Feedback for Assignment 8

- One way to solve the livelock problem is to impose an ordering when acquiring the lock on the shared resource.
- Or one of the spouses can actually take the spoon after certain number of retries



# Feedback for Assignment 8

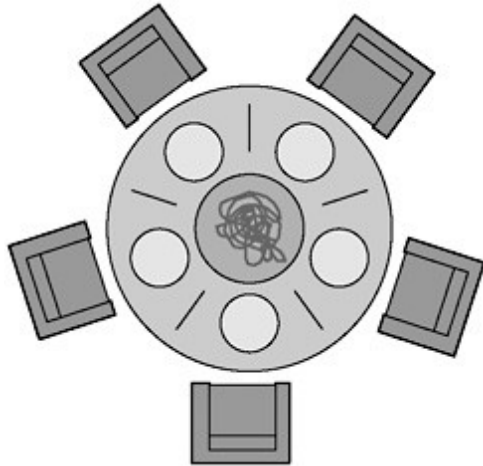
## Optimistic vs Pessimistic concurrency control

```
@Override
public int nextInt() {
    // get the current seed value
    long next;
    synchronized (this) {
        long orig = state;
        // using recurrence equation to generate next
        next = (a * orig + c) & (~0L >>> 16);
        // store the updated seed
        state = next;
    }
    return (int) (next >>> 16);
}
```

```
@Override
public int nextInt() {
    while (true) {
        // get the current seed value
        long orig = state.get();
        // using recurrence equation to generate next seed
        long next = (a * orig + c) & (~0L >>> 16);
        // store the updated seed
        if (state.compareAndSet(orig, next)) {
            return (int) (next >>> 16);
        } else {
            try {
                Thread.sleep(1);
            } catch (InterruptedException e) {}
        }
    }
}
```

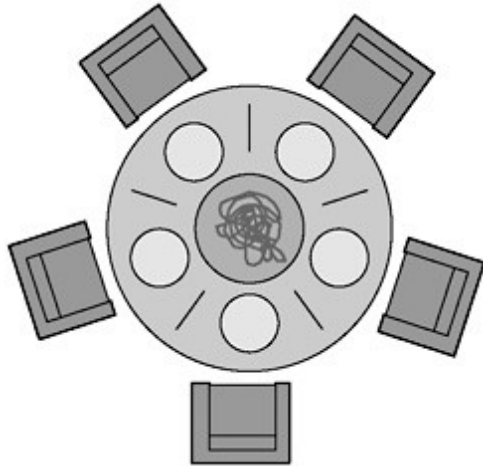
# Assignment 9

# Task 1 - Dining Philosophers



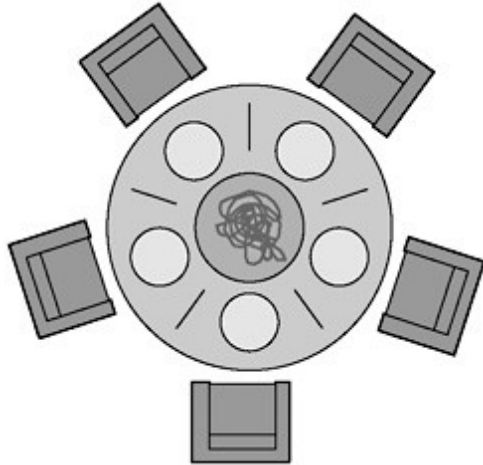
Originally proposed by E. W. Dijkstra  
Imagine five philosophers who spend their lives  
thinking and eating.  
They sit around a circular table with five chairs with a  
big plate of spaghetti.  
However, there are only five chopsticks available.

# Task 1 - Dining Philosophers



- Each philosopher thinks and when he gets hungry picks up the two chopsticks closest to him.
- If a philosopher can pick up BOTH chopsticks, he eats for a while.
  - After a philosopher finishes eating, he puts down the chopsticks and starts to think again.

# Find a solution that...



- Makes deadlocks impossible
- Has no starvation
- More than one parallel eating philosopher is possible

# Task 2: Reasoning about Locks

You know two ways how to prove the correctness of a lock from the lecture

- State-space diagram
- Proof by contradiction (both in CS)

apply one of them in this task!

# Task 3: JMM Basics – Transitive Closure

- Relation:

Two sets,  $X$  and  $Y$ , a relation is a set of ordered pairs  $(x,y)$  such that  $x$  in  $X$  and  $y$  in  $Y$ .

Special case:  $X=Y$

Example: - the “greater than” relation on natural numbers

- Statement 1 always directly follows Statement 2

# Task 3: JMM Basics – Transitive Closure

Transitive closure of a relation  $R$ :

The smallest relation  $R'$  such that:

If  $(a,b)$  is in relation  $R$  then  $(a,b)$  is in  $R'$

If  $(c,d)$  and  $(e,f)$  are in  $R'$  then  $(c,f)$  is in  $R'$